Texts in Computer Science

# Neural Networks

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Guide to Intelligent Data Science

How to Intelligently Make Use of Real Data

Second Edition



# "Tell me and I forget. Teach me and I remember. Involve me and I learn." -Benjamin Franklin

How do machines *learn*?

\*This lesson refers to chapter 9 of the GIDS book

## Multilayer Perceptrons

- The Perceptron
- Why the Perceptron is not enough
- The MLP

# The Back Propagation algorithm

- The delta rule to train the output neurons
- Recursivity to train the hidden neurons
- Learning rate and local minima

# MLP and BackPropagation

- Pro's and Con's
  - Black-box tools
  - Overfitting
  - Techniques to avoid overfitting
  - Special architectures

#### Datasets

- Datasets used : iris dataset
- Example Workflows:
  - "Classifying the iris data set with ANN" https://kni.me/w/ei3eX9Sj5-RFEUat
    - Keras layers
    - Multi-layer perceptrion
    - Back propagation



# **Supervised Learning**

- A target attribute is predicted based on other attributes
- Assumption: in addition to the object description x, we have also the value for the target attribute y

#### Transparent

- The decision process maps the application domain
- How did we come to this final medical diagnosis?

### **Black-box**

- Abstract mathematical procedures not meaningful for the application domain
- Recover most similar face in a million. How and why is not important.

# **Biological Neuron**

- Artificial Neural Networks (ANN) are among the oldest and most intensely studied Machine Learning approaches
- They took their inspiration from biological neural networks and tried to mimic the learning process of animals and humans
- However, the model of biological processes ended up to be very coarse, and several improvements to the basic approach have even abandoned the biological analogy

### Advantage

Highly flexible → good performance

#### Disadvantage

Black-box models not easy to interpret

- Human brain: ca. 10<sup>11</sup> neurons.
- Each neuron connected to  $10^4$  other neurons on average.
- Switching time of a neuron  $10^{-3}$  sec (computer:  $10^{-10}$  sec ...)
- Neurons compute very basic functions
- Neuron assembly performs complex recognition tasks (faces!) in 10<sup>-1</sup> sec!
- The human brain: gigantic assembly of highly connected simple processing units...

### **Biological Neuron**



## **Biological Neural Networks**



# Perceptron

- Aim: neurobiological modelling and simulation to understand very elementary functions of neurons and brain.
- A neuron is a binary switch, being either active or inactive.
- Each neuron has a fixed threshold value.
- A neuron receives input signals from excitatory (positive) synapses (connections to other neuron).
- A neuron receives input signals from inhibitory (negative) synapses (connections to other neuron).
- Inputs to a neuron are accumulated (integrated) for a certain time. When the threshold value of the neuron is exceeded, the neuron becomes active and sends signals to its neighbouring neurons via its synapses.

- The perceptron was introduced by Frank Rosenblatt for modelling pattern recognition abilities in 1958.
- Aim: Automatic learning of weights and threshold of a model of a retina to correctly classify objects.
- A simplified retina is equipped with receptors (input neurons) that are activated by an optical stimulus.
- The stimulus is passed on to an output neuron via a weighted connection (synapse).
- When the threshold of the output neuron is exceeded, the output is 1, otherwise 0.

2 positive and 1 negative example



# **Biological Neuron**



# Artificial Neuron (Perceptron)



# **Biological Neural Networks**



- Numerical input attributes x<sub>i</sub>
- Binary output class (0 or 1).
- Classifier for two-class problem
- For multiclass problems use one perceptron per class

- Initialise the weight and the threshold values randomly.
- For each data object in the training data set, check whether the perceptron predicts the correct class.
- If the perceptron predicts the wrong class, adjust the weights and threshold value to improve the prediction.
- Repeat this until no changes occur

- Whenever the perceptron makes a wrong classification
   → change weights and threshold in "appropriate direction".
- If the desired output is 1 and the perceptron's output is 0, the threshold is not exceeded, although it should be. Therefore, lower the threshold and adjust the weights depending on the sign and magnitude of the inputs.
- If the desired output is 0 and the perceptron's output is 1, the threshold is exceeded, although it should not be. Therefore, increase the threshold and adjust the weights depending on the sign and magnitude of the inputs.

The delta rule recommends to adjust the weight and the threshold values as:

$$w_i^{new} = w_i^{old} + \Delta w_i$$
$$b^{new} = b^{old} + \Delta b$$

- $-w_i$ : A weight of the perceptron
- -b: The threshold value of the perceptron
- $-(x_1, x_2, \dots, x_n)$ : An input vector
- *t*: the desired output for input vector  $(x_1, x_2, ..., x_n)$
- y: the real output of the Perceptron for input vector  $(x_1, x_2, ..., x_n)$
- $-\eta > 0$ : the Learning rate

The delta rule recommends to adjust the weight and the threshold values as:

$$\Delta w_i = \begin{cases} 0 & \text{if } y = t \\ +\eta x_i & \text{if } y = 0 \text{ and } t = 1 \\ -\eta x_i & \text{if } y = 1 \text{ and } t = 0 \end{cases}$$

$$\Delta b = \begin{cases} 0 & \text{if } y = t \\ -\eta & \text{if } y = 0 \text{ and } t = 1 \\ +\eta & \text{if } y = 1 \text{ and } t = 0 \end{cases}$$

- Training Data:

Inputs
{((0,0),0), ((0,1),0), ((1,0),0), ((1,1), 1)}
target

- Learning rate  $\eta = 1$ 

- Initialization: 
$$w_1 = w_2 = b = 0$$

	x	t	у	$\Delta w_1$	$\Delta w_2$	Δb	$w_1^{new}$	w <sub>2</sub> <sup>new</sup>	b <sup>new</sup>
							0	0	0
Epoch 1	0 0	0	0	0	0	0	0	0	0
	01	0	0	0	0	0	0	0	0
	10	0	0	0	0	0	0	0	0
	11	1	0	1	1	-1	1	1	-1





	x	t	у	$\Delta w_1$	$\Delta w_2$	Δb	$w_1^{new}$	$W_2^{new}$	b <sup>new</sup>
							1	1	-1
Epoch 2	0 0	0	1	0	0	1	1	1	0
	01	0	1	0	-1	1	1	0	1
	10	0	0	0	0	0	1	0	1
	11	1	0	1	1	-1	2	1	0
	x	t	У	$\Delta w_1$	$\Delta w_2$	Δb	w <sub>1</sub> <sup>new</sup>	w <sub>2</sub> <sup>new</sup>	b <sup>new</sup>
	x	t	У	Δw <sub>1</sub>	$\Delta w_2$	Δb	w <sub>1</sub> <sup>new</sup>	w <sub>2</sub> <sup>new</sup>	b <sup>new</sup>
	<i>x</i> 00	t O	У 0	Δw <sub>1</sub>	Δw <sub>2</sub>	Δb 0	<i>w</i> <sup><i>new</i></sup> 2 2	<i>w</i> <sup><i>new</i></sup> 1	<i>b<sup>new</sup></i> 0 0
	x 00 01	t 0 0	у 0 1	Δw <sub>1</sub> 0 0	Δw <sub>2</sub> 0 -1	Δb 0 1	<ul> <li>w1<sup>new</sup></li> <li>2</li> <li>2</li> <li>2</li> <li>2</li> </ul>	w2 <sup>new</sup> 1 1 0	<i>b<sup>new</sup></i> 0 0 1
Epoch 3	x 00 01 10	t 0 0	У 0 1	Δw <sub>1</sub> 0 0 -1	Δw <sub>2</sub> 0 -1	Δb 0 1 1	<pre>w1<sup>new</sup> 2 2 2 2 1 1</pre>	<pre>w<sup>new</sup> 1 1 0 0</pre>	bnew         0         1         2

	x	t	у	$\Delta w_1$	$\Delta w_2$	Δb	$w_1^{new}$	$W_2^{new}$	b <sup>new</sup>
							2	1	1
Epoch 4	0 0	0	0	0	0	0	2	1	1
	01	0	0	0	0	0	2	1	1
	10	0	1	-1	0	1	1	1	2
	11	1	0	1	1	-1	2	2	1
	x	t	У	$\Delta w_1$	$\Delta w_2$	Δb	w <sub>1</sub> <sup>new</sup>	w <sub>2</sub> <sup>new</sup>	b <sup>new</sup>
	x	t	У	$\Delta w_1$	Δw <sub>2</sub>	Δb	w <sub>1</sub> <sup>new</sup>	w <sub>2</sub> <sup>new</sup>	b <sup>new</sup>
	<i>x</i> 0 0	t O	У 0	Δw <sub>1</sub>	Δw <sub>2</sub>	Δb 0	<ul><li><i>w</i><sub>1</sub><sup>new</sup></li><li>2</li><li>2</li></ul>	<ul><li>w<sup>new</sup></li><li>2</li><li>2</li></ul>	b <sup>new</sup> 1
	x 00 01	t 0 0	У 0 1	Δw <sub>1</sub> 0 0	Δw <sub>2</sub> 0 -1	Δb 0 1	<ul> <li>w<sup>new</sup></li> <li>2</li> <li>2</li> <li>2</li> </ul>	<ul> <li>w<sup>new</sup></li> <li>2</li> <li>2</li> <li>1</li> </ul>	<i>bnew</i> 1 1 2
Epoch 5	x 00 01 10	t 0 0	У 0 1	Δw <sub>1</sub> 0 0 0	Δw <sub>2</sub> 0 -1 0	Δb 0 1 0	<pre>w1<sup>new</sup> 2 2 2 2 2 2</pre>	<pre>w<sup>new</sup> 2 2 1 1 1</pre>	b <sup>new</sup> 1 1 2 2 2

	x	t	у	$\Delta w_1$	$\Delta w_2$	Δb	$w_1^{new}$	$w_2^{new}$	b <sup>new</sup>
							2	1	2
Epoch 6	0 0	0	0	0	0	0	2	1	2
	01	0	0	0	0	0	2	1	2
	10	0	0	0	0	0	2	1	2
	11	1	1	0	0	0	2	1	2

### **Perceptron Convergence**

If, for a given data set with two classes, there exists a perceptron that can classify all patterns correctly, then the delta rule will adjust the weights and the threshold after a finite number of steps in such way that all patterns are classified correctly.

### What classification problems can a perceptron solve?

- Consider a perceptron with two inputs.
- Let y be the output of the perceptron for input  $(x_1, x_2)$
- Then:

$$y = 1 \iff w_1 \cdot x_1 + w_2 \cdot x_2 > b$$
$$\iff x_2 > -\frac{w_1}{w_2}x_1 + \frac{b}{w_2}$$

- The perceptron output is 1 if and only if the input vector  $(x_1, x_2)$  is above the line:

$$y = -\frac{w_1}{w_2}x + \frac{b}{w_2}$$

#### Linear Separability



The parameters  $w_1$ ,  $w_2$ , define the line. All input patterns above this line are assigned to class 1, all input patterns below the line to class 0.

$$y(\mathbf{x}) = w_0 + \sum_{i=1}^n w_i \ x_i = w_0 + \mathbf{w}^T \cdot \mathbf{x} = w_0 + |\mathbf{x}| |\mathbf{w}| \cos(\mathbf{w}, \mathbf{x})$$



#### Perceptrons implements hyperplanes in the feature space

- A Perceptron with n input neurons can classify all examples from a dataset with n input variables and two classes correctly, if there exists a hyperplane separating the two classes
- Such classification problems are called **linearly separable**
- A Perceptron can only solve linearly separable problems

**Example:** The exclusive OR (XOR) defines a classification task which is not linearly separable.



The exclusive OR (XOR) can be solved adding one more layer





# FeedForward Neural Networks

- A Perceptron with more than one layer is a Multi-Layer Perceptron (MLP)
- A MLP is a neural network with:
  - an *input layer*,
  - one or more *hidden layers*, and
  - an output layer
- Connections exist only between neurons from one layer to the next layer

# **Biological Neuron**



# **Biological Neural Networks**



### Artificial Neuron (Perceptron)



 Neuron bias can be considered as a weight w<sub>0</sub> to a constant input x<sub>0</sub> = +1










# **Biological Neuron**



# **Biological Neural Networks**



# Artificial Neuron (Perceptron)

 $y = f(x_1w_1 + x_2w_2 + b)$ 



Artificial Neural Networks (Multilayer Perceptron, MLP)



- Let's see an example of a MLP
- 3 layers:
  - 1 input layer with *m=2 inputs*
  - 1 hidden layer with h=3 hidden neurons
  - 1 output layer with n=2 output neurons

fully connected feed forward neural networks

- All feed-forward connections: from a neuron only to neurons in the next layer
- Fully-connected: that is each neuron in one layer is connected to all neurons in the next layers

#### Feed-Forward Neural Networks (FFNN)





Forward pass:

$$\boldsymbol{o} = f(W_x^2 \boldsymbol{x})$$

 $y = f(W_y^3 \boldsymbol{o})$ 

 $y = f(W_y^3 f(W_x^2 \boldsymbol{x}))$ 

f() = activation function



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# completely connected



feedforward (directed, a-cyclic)



recurrent (feedback connections)



example:

- associative neural network

- Hopfield

#### example:

- Multi Layer Perceptron
- Auto-encoder MLP

example: -Recurrent Neural Network (for time series recognition)

# **BackPropagation**

- Problem: How do we automatically adjust the weights (and thresholds) for the neurons of the hidden layer?
- Solution: gradient descent
- Does not work with binary (non-differentiable) threshold function as activation function for the neurons.
- Activation function must be a differentiable function



- Teach (ensemble of) neuron(s) a desired input-output behavior.
- Show examples from the training set repeatedly
- Networks adjusts parameters to fit underlying function
  - topology
  - weights
    - internal functional parameters



Adjust the weights based on the gradient descent technique, i.e. proportionally to the gradient of the error function

$$\boldsymbol{w}(t+1) = \boldsymbol{w}(t) + \Delta \boldsymbol{w}(t)$$

– with

$$\Delta \boldsymbol{w}(t) = -\eta \, \nabla (E(\boldsymbol{w}(t)))$$

- with  $\eta > 0$  a non-zero learning rate  $\Delta w(t) = -\eta \nabla \left( E(w(t)) \right) = -\eta \left( \frac{\partial E(w(t))}{\partial w_1}, \dots, \frac{\partial E(w(t))}{\partial w_m} \right)$ 

- So we really need to determine only:

$$\Delta w_{u,v} = -\eta \, \frac{\partial E}{\partial w_{u,v}}$$

For each single weight of the network.



For each weight in the output layer:



For each weight in the output layer:



- Final formula to update the weight  $w_{ji}^{out}$ , after all training samples in T have passed:

$$\Delta w_{ji}^{out} = -\eta \sum_{x \in T} \delta_j^{out} o_i^{hidden}$$
$$\delta_j^{out} = (y_j - t_j) f'(net_j)$$



- Now, where do we get the target values for the hidden neurons?
- Let's continue with gradient descent:

$$\Delta w_{ij}^{hidden} = -\eta \frac{\partial E}{\partial w_{ij}^{hidden}}$$



### ... some Calculations for the Hidden Layer ...

$$\begin{split} \Delta w_{ji}^{hidden} &= -\eta \frac{\partial \frac{1}{2} \sum_{x \in T} \sum_{k=1}^{n} (y_{k} - t_{k})^{2}}{\partial w_{ij}^{hidden}} = -\frac{\eta}{2} \sum_{x \in T} \sum_{k=1}^{n} \frac{\partial (f(net_{k}^{out}) - t_{k})^{2}}{\partial w_{ji}^{hidden}} \\ \dots &= -\frac{\eta}{2} \sum_{x \in T} \sum_{k=1}^{n} 2(f(net_{k}^{out}) - t_{k}) \frac{\partial (f(net_{k}^{out}) - t_{k})}{\partial w_{ji}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} (f(net_{k}^{out}) - t_{k}) f'(net_{k}^{out}) \frac{\partial net_{k}^{out}}{\partial w_{ji}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} (f(net_{k}^{out}) - t_{k}) f'(net_{k}^{out}) \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} o_{j'}^{hidden}}{\partial w_{ji}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} (f(net_{k}^{out}) - t_{k}) f'(net_{k}^{out}) \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{ji}^{hidden}} \end{split}$$
If just one hidden layer
$$\dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{ji}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{ji}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{ji}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{ji}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{jk}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{jk}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{jk}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{j'=1}^{n} \delta_{k}^{out} \qquad \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{jk}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{j'=1}^{n} \delta_{k}^{out} \qquad \frac{\partial \sum_{j'=1}^{h} w_{j'k}^{out} f(\sum_{l'=1}^{m} w_{l'l}^{hidden} \cdot x_{l'})}{\partial w_{jk}^{hidden}} \\ \dots &= -\eta \sum_{x \in T}$$

### ... some Calculations for the Hidden Layer ...

$$\begin{split} \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad w_{jk}^{out} \frac{\partial f(\sum_{i'=1}^{m} w_{i'j}^{hidden} \cdot x_{i'})}{\partial w_{jl}^{hidden}} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad w_{jk}^{out} f'(\sum_{i'=1}^{m} w_{i'j}^{hidden} \cdot x_{i'}) \cdot x_{i} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad w_{jk}^{out} f'(net_{j}^{hidden} \cdot x_{i}) \cdot x_{i} \\ \dots &= -\eta \sum_{x \in T} \sum_{k=1}^{n} \delta_{k}^{out} \qquad w_{jk}^{out} f'(net_{j}^{hidden} \cdot x_{i}) \cdot x_{i} \\ \dots &= -\eta \sum_{x \in T} \delta_{j}^{hidden} \\ \dots &=$$

 $x_1$ 

 $x_2$ 

#### Error BackPropagation or Generalized Delta Rule

Update of weights to the output layer:

$$\Delta w_{ji}^{out} = -\eta \sum_{x \in T} \delta_j^{out} o_i^{hidden}$$

with

$$\delta_j^{out} = (y_j - t_j) f'(net_j)$$

Previous layer

And update of weights to hidden layers:





#### **Recursive equation for updating the weights:**

Update the weights to the neuron in the output layer first and then go back layer by layer and update the corresponding weights.

- Final formula to update the weight  $w_{ii}^{out}$ , after **one single** training sample in T :





1. Forward pass:



 $y_k = f(\sum_{j=1}^n w_{kj}^3 o_j^2)$ 



#### Step 3: Learning after each training pattern



3. Weight Update after **each** training example:

$$\Delta w_{ji}^l = -\eta \, \delta_j^l \, o_i^{l-1}$$

 $w_{ji}^l(t+1) = w_{ji}^l(t) + \Delta w_{ji}^l$ 

#### Step 3: Learning after all training patterns



### – Remember?

- Bias values can be considered as special weights to constant inputs +1
- Therefore biases are trained together with all other weights

### Artificial Neuron (Perceptron)



 Neuron bias can be considered as a weight w<sub>0</sub> to a constant input x<sub>0</sub> = +1

# - Offline Training: Weight update after all training patterns

- correct
- computationally expensive and slow
- works with reasonably large learning rates (fewer updates!)

# - Online (Stochastic) Training: Weight update after each training pattern

- approximation (can in theory run into oscillations)
- faster (fewer epochs!)
- smaller learning rates necessary

## - Batch Training: Weight update after a batch of training patterns

A compromise between the two

The Sigmoid Activation Function has one really nice property (among others):

$$f'(a) = \frac{\partial}{\partial a} \left( \frac{1}{1 + e^{-ha}} \right) = -\frac{e^{-ha}}{(1 + e^{-ha})^2} = \dots = f(a) \left( 1 - f(a) \right)$$

- We can compute the derivative f'(a) simply from f(a) !

**1D Example** 

















# Variations of BackPropagation

- Backpropagation as a gradient descent technique can only find a local minimum.
- Training the networks with different random initialisations can lead to a different weight configuration on a different local minimum.
- The learning rate  $\eta$  defines the step width of the gradient descent technique.
  - A very large  $\eta$  leads to skipping minima or oscillations.
  - A very small  $\eta$  leads to starving, i.e. slow convergence or even convergence before the (local) minimum is reached.


- Feed-Forward Neural Networks can potentially describe very complex relationships
- FFNNs are very simple but very flexible neural architectures
- It is easy to:
  - Expand the architecture by adding more units/layers
  - Experiment with new activation functions
- Too many parameters!
- Danger of fitting training data too well: Overfitting
  - Modeling of particularities in training data instead of underlying concept
    - $\Rightarrow$  Modeling of artifacts or outliers

Overfitting can be prevented by keeping the weights small

# – Weight Decay:

- push all weights to zero
- only those weights that are really needed will "survive"

# - Momentum Term:

increase weight updates as long as they have the same sign

# - Resilient Backpropagation (or RPROP):

 estimate optimum for weights based on assumption that the error surface is a polynomial.

# - Regularization:

 a regularization term is added to the Error function as to force the weights to stay small or few.

- Introduce a momentum term:
- For the weight update, the previous weight update is taken into account:

$$\Delta_p W(u, v) = \eta \, \delta_v^p \, o_u^p + \beta \, \Delta_q W(u, v)$$

- $\Delta_q W(u, v)$  is the weight update at the previous step q of the gradient descent algorithm.
- If weight is updated continuously in the same direction, the weight update increases, otherwise it decreases.

- Typical choices:  $\eta = 0.2, \beta = 0.8$ 

- MLPs are powerful but black boxes
- Rule extraction only possible in some cases
  - VI-Analysis (interval propagation)
  - extraction of decision trees
- Problems:
  - Global influence of each neuron
  - Interpretation of hidden layer(s) complicated
- Possible Solution:
  - Local activity of neurons in hidden layer: Local Basis Function Networks

- Usually, weights are not updated after a whole epoch, i.e. after all patterns have been presented once (offline training), or after the presentation of each input pattern (online training, but after a batch of input patterns (batch training).
- There is no general rule on how to choose the number of hidden layers and the size of the hidden layers.
  - Small neural networks might not be flexible enough to fit the data.
  - Large neural networks tend to overfit the data (note: Deep Learning...).
- The steepness of the activation function is usually fixed and is not adjusted.
- A perceptron learns only in those regions where the activation function is not close to zero or one, otherwise the derivative is almost zero (the problem of the vanishing gradient).

### The autoencoder architecture



### Dimensionality reduction

- Input and output are identical, i.e. the neural network should learn the identity function. (Auto-associative network)
- Introduce a hidden layer with only h < n neurons: the bottleneck.
- Train the neural network with the data.
- After training, input the data into the network and use the outputs of the bottleneck neurons as a representation of the input data in a lower dimension
- If h = 2 then the outputs of the bottleneck neurons represent the two dimensions for the graphical representation of the data

### The autoencoder architecture



### Anomaly Detection

- Input and output are identical, i.e. the neural network should learn the identity function. (Auto-associative network)
- Train the neural network with the data.
- After training, input the data into the network and calculate the distance between input and output layer.
- If input data is similar to training data, then distance is small.
- If input data is an anomaly not present in the training data, then distance is large

- (Hard/Soft) Competitive Learning
- Learning Vector Quantization
- Self Organizing Maps
- Radial (and other) Basis Function Networks
- Many connections to Kernel Methods and Support Vector Machines...

### Summary

- What is a Perceptron?
- Why do we need MLPs?
- The BackPropagation algorithm to train the hidden layers
- Issues with MLPs and BackPropgation
- The autoencoder architecture

# KNIME Deep Learning Keras Extension



- KNIME Deep Learning Extension builds on top of the Keras Libraries
  - The Keras libraries build on top of TensorFlow
- Deep Learning libraries from
   TensorFlow and Keras are accessible
   via Python ...
- And KNIME with the Deep Learning Keras Integration.

# Installation

- Deep Learning in KNIME Analytics Platform comes with a specific integration. Few simple steps are necessary to get it up and running.
- On your machine:
  - <u>Anaconda</u> with Python3 correctly installed
- Extensions installed on KNIME Analytics Platform
  - KNIME Deep Learning Keras Integration
  - KNIME TensorFlow Integration

NOTE: This is a just quick start guide to start using Deep Learning with your KNIME Analytics Platform. If you are experiencing issues or want to customize your installation, please refer to <u>KNIME</u> <u>Deep Learning Integration Installation Guide</u>

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This feature contains nodes of the Keras integration of KNIME Deep Learning. Included nodes & related workflows Included nodes	v 4.2.1	♡ 1
Included nodes & related workflows	This feature contains nodes of the Keras integration of KNIME Deep Learning.	After installation you will be asked
to restart KNIME	Included nodes & related workflows	Arter instantion you will be dsket
	$\odot$ Included nodes $\circ_{i_0}^{i_0}$ Related workflows	to restart KNIME
	4	

# - Go to the Python Deep Learning Preference page located at

File > Preferences



 From the window that pops up, select KNIME > Python Deep Learning from the list on the left.

### Configuration

A Preferences		- 🗆 X
type filter text	Python Deep Learning	
<ul> <li>&gt; General</li> <li>&gt; Install/Update</li> <li>&gt; KNIME</li> <li>&gt; Big Data Chemistry</li> <li>&gt; Community Scripting Conda Customization Profiles Databases Deeplearning4J Integration Groovy Scripting H2O-3</li> </ul>	See <u>this guide</u> for details on how to setup the KNIME Deep Learning Integration. O Use configuration from the "Python" preference page © Use special Deep Learning configuration as defined below Library used for the "DL Python" scripting nodes © Keras O TensorFlow 2 Deep Learning D the province proferentiation	Provide the path to the folder containing your Anaconda installation
Image Processing Plugin JavaScript Views KNIME Explorer > KNIME GUI Kerberos Master Key Meta Info Preferences Network Open Street Map Perl Preferred Renderers Python > Python (legacy) Python Deep Learning R Report Designer Slack Preference Page	Deep Learning Python environment configuration <ul> <li>                 Conda                  Manual</li> </ul> Please use the <u>Conda preference page</u> to configure the path to the Conda installation di                 Using Conda at 'C:\Users\ \ anaconda3'. Conda version: 4.12.0           Keras           Name of the Keras Conda environment py3-DL-CPU	Click on <b>New Environment</b> to set up a new ready-to-go environment containing all the required dependencies
<ul> <li>&gt; Table Backend TensorFlow</li> <li>&gt; Textprocessing</li> <li>&gt; Vernalis</li> <li>&gt; Workflow Coach RDKit 2D Depiction RDKit Types</li> <li>&gt; Report Design</li> </ul>	Python version: 3.6.13 Serialization library CSV (Experimental)  Restore Defau Apply and Close	NOTE: You can also select an existing Python Deep Learning environment from the drop down menu, if you have already set up one

New Deep Learning Conda environment This will create a new preconfigured Conda environment for Python 3 that contains all packages required by the KNIME Keras integration. Creating the Conda environment may take several minutes and requires an active internet connection. On Linux and Windows you can choose between a 'GPU' environment that will run heavy calculations on a NVIDIA GPU or a 'CPU' environment which will run everything on the CPU.

New environment's name py3\_knime\_dl

Please click 'Create new CPU environment' or 'Create new GPU environment' to start. You can specify a custom environment name using the text field above before starting.

Create new CPU environment Create new GPU environment Cancel

 $\times$ 

 Provide a name for the new environment

- Choose if you want to create a new CPU or GPU environment
- This creates a new conda environment containing all required Python Deep Learning dependencies

Only choose GPU if you have a TensorFlow compatible GPU available. More information about Python Deep Learning GPU support can be found here

# **Deep Learning Nodes**

### Layer Overview (optional)

🖽 Deep Learning K Keras Eavers Advanced Activations Convolution Core Embedding Ecology Connected Merge Image: Mormalization Pooling Recurrent 😹 Keras Collect Layer Steras Freeze Layers

Advanced Activations
 Keras ELU Layer
 Keras Leaky ReLU Layer
 Keras PReLU Layer
 Keras Softmax Layer
 Keras Thresholded ReLU Layer

Convolution Keras Convolution 1D Layer Keras Convolution 2D Layer Keras Convolution 3D Layer 😹 Keras Cropping 1D Layer Keras Cropping 2D Layer Keras Cropping 3D Layer Keras Separable Convolution 1D Layer 😹 Keras Separable Convolution 2D Layer Keras Transposed Convolution 2D Layer Keras Upsampling 1D Layer Keras Upsampling 2D Layer 😹 Keras Upsampling 3D Layer 😹 Keras Zero-Padding 1D Layer 😹 Keras Zero-Padding 2D Layer Keras Zero-Padding 3D Layer

🔻 글 Core

Keras Activation Layer
 Keras Activity Regularization Layer
 Keras Dense Layer
 Keras Dropout Layer
 Keras Flatten Layer
 Keras Input Layer
 Keras Masking Layer
 Keras Repeat Layer
 Keras Reshape Layer
 Keras Embedding Layer
 Keras Embedding Layer
 Keras Locally Connected 1D Layer
 Keras Locally Connected 2D Layer

Merge
 Keras Add Layer
 Keras Average Layer
 Keras Concatenate Layer
 Keras Dot Layer
 Keras Maximum Layer
 Keras Multiply Layer
 Keras Subtract Layer

### Keras Input Layer

- Allows to define the input shape
- Use [x,y] for sequential data
  - -x = sequence length
  - y = dimension of one element in the sequence

ape	🗕 🔵 Dialog - 0:66	6 - Keras Input L	ayer (input layer)
	Options F	low Variables	Memory Policy
	Name prefix		
equence	Shape	4	
	Batch size		1
	Data type	Float 32	<b>•</b>
Keras Input Layer	Data format	Channel La	st 🗘
	ОК А	opply C	ancel

# Important settings

- Number of Units
- Selection of the activation function
- Regularization support
- Can be used as hidden layer and as output layer
- Tip: Add Name prefix if used as output layer

	Name prefix				
	Input tensor	Iris_1_0:0 [4] float		0	
	Units			8 0	
Activ	vation function	ReLU			
			•••	Dialog - 0:54 - Keras Dense Layer (hidden layer)	
				Options Advanced Flow Variables Memory Policy	
			Use bias?	8	
			Kernel initializer	Glorot Uniform Normalizer Seed 123456789	New seed
S			Bias initializer	Zeros	C
				1112	0
			Kernel regularizer	L1 regularization factor 0.0000 L2 regularization factor 0.0000	001 C
		-		1112	0
			Bias regularizer		
Dense Laye	r		Bias regularizer Activity regularizer		٥

#### Simple Network Example



- Select input columns for the network and correct conversion
- Conversion "From Collection of Number (integer) to One-Hot Vector" can be used to transform index encoding to one-hot encoding

	Input Data       Target Data       Options       Advanced Options       Flow Variables       Job Manager Selection       Memory Policy         Input Data
ras Network Learner	Input columns: Manual Selection Wildcard/Regex Selection Exclude Filter I class Exclude Filter Sepal length Sepal width Petal length Petal length Petal length Enforce exclusion

### Select target column and correct conversion

 Select a standard loss function or define your custom loss function



Input Data	Target Data	Options	Advanced Options	Flow Variables	Job Manager Selection	Memory Policy
aining Target	s					
Training tar	get: dense_2_0	:0				
Number of	neurons: 3					
Shape: [3]						
Conversion	From Col	lection of N	umber (integer) to On	e-Hot Tensor		<u> </u>
Target col	umns:					
		0	Manual Selection	Wildcard/Regex Se	lection	
Exclue	le ———			Include		
<b>T</b> E	lter			<b>T</b> Filter		
	No colur	nns in this l	ist		ection	
	110 00101				ccion	
			×			
			<u> </u>			
O En	force exclusion		~	Enforce	nclusion	
U En	Iorce exclusion			Enforce	Inclusion	
		O St	andard loss function	Custom loss	function	
			Colored		3	
			Categorical cross	entropy		
			Categorical hinge			
			Cosine proximity Hinge			
			Kullback-Leibler d	ivergence		
			Logcosh		-	
			Mean absolute erro	centage error		

### Allows to define the training settings

Keras Network Learner

- Important settings
  - Epochs
  - Training batch size
  - Shuffle training data...
  - Optimizer

Input Data Target Data	a Options	Advanced Options	Flow Variables	Job Manager Selection	Memory Po
General Settings					
Back end	Keras (Tens	orFlow)			
Epochs					2
Training batch size					
Validation batch size					1
🗹 Shuffle training data	before each ep	och			
🗹 Use random seed				1581506629720	New se
Optimizer Settings					
Optimizer RMSI	rop				
Learning rate					0.00
Rho					0
Epsilon					1.0E-
Learning rate decay					0.
Clip norm					
Clip value					

#### Learning Monitor View of the Keras Network Learner



Job Manager Selection Memory Policy	Options Advanced Options Flow Variables Job Manager Selection Memory Policy	Options Advanced Options Flow Variables Job Manager Selection Memory Policy
	General Settings	General Settings
3	Back end Keras (TensorFlow)	Back end Keras (TensorFlow)
100 0	Input batch size 100 0	Input batch size
	Keep input columns in output table	Z Keep input columns in output table
	Inputs	Inputs
	Input: Input_1:0	Input: Input_1:0
	Number of neurons: 81	Number of neurons: 81
	Snape: [81]	Snape: [81]
	Conversion From Number (double)	Conversion From Number (double)
	Input columns:	Input columns:
Wildcard/Reges/Selection Include Dinabe Din	Manual Selection Wildcard/Reps Selection     Filter     Add output     No columns in this     Output dense_3/Sigmoid:0 0     Enforce inclusion  Output  Outputs  Add output	Manual Selection     Wildcard Reges Selection     Include     Filter     No columns in this liss     D age     To filter     To columns in this liss     So     To filter     To humber (double)     To
OK Apply Cancel 🕖	OK Apply Cancel ()	OK Apply Cancel (
	OK     Apply     Cancel     )))	Image:

 The Keras Network Writer node saves the trained model as .h5 file
 knime://knime.workflow/<filename>







#### Index-based

Education	Index
10th	0
11th	1
12th	2
Assoc-acdm	3
Assoc-voc	4
Bachelors	5
Doctorate	6
HS-grad	7
Masters	8
Prof-school	9
Some-college	LO Category

### **One-hot Encoding**

	10th	11th	12th	Assoc- admin	Asso c-voc	Bach.	Doc.	HS- grad	Masters	Prof- school	Some- college
Masters	0	0	0	0	0	0	0	0	1	0	0
11th	0	1	0	0	0	0	0	0	0	0	0
Some- college	0	0	0	0	0	0	0	0	0	0	1
Bach.	0	0	0	0	0	1	0	0	0	0	0
10th	1	0	0	0	0	0	0	0	0	0	0
Doc.	0	0	0	0	0	0	1	0	0	0	0
Prof- school	0	0	0	0	0	0	0	0	0	1	0
HS-grad	0	0	0	0	0	0	0	1	0	0	0

One to Many



- Input to NN must be in [0,1]
- Normalization is needed



# Practical Examples with KNIME Analytics Platform

 A multilayer perceptron with layers (4–8–3) is trained to classify the iris data set using the backpropagation algorithm, as set in the Keras Network Learner node



# Thank you

Guide to Intelligent Data Science Second Edition, 2020